Nonlinear Influence of Mesoscale Land Use on Weather and Climate

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ABSTRACT

This paper demonstrates that the influence of mesoscale landscape spatial variability on the atmosphere must be parameterized (or explicitly modeled) in larger-scale atmospheric model simulations including general circulation models. The mesoscale fluxes of heat that result from this variability are shown to be of the same order of magnitude but with a different vertical structure than found for the turbulent fluxes. These conclusions are based on experiments in which no phase changes of water were permitted. When, for example, cumulus clouds are organized in response to the landscape pattern develop, the mesoscale influence on larger-scale climate is likely to be even more important.

To parameterize surface thermal inhomogeneities, the influence of landscape must be evaluated using spectrally based analysis or an equivalent procedure. For horizontal scales much less than the local Rossby radius, based on the results of Dalu and Pielke, the surface heat fluxes over the different land surfaces can be proportionately summed and an average grid-area value used as proposed by Avisar and Pielke. Moisture fluxes can probably be represented in the same fashion as for heat fluxes. For larger-scale spatial variability, however, the mesoscale fluxes must also be included as shown in this paper. While the linear effect could be parameterized using a procedure such as presented in Dalu and Pielke, where the spectral analysis is used to fractionally weight the contributions of the different spatial scales, the complete vertical mesoscale heat flux requires the incorporation of nonlinear advective effects. To include the nonlinear contribution of each scale, numerical model simulations for the range of observed surface and overlying atmospheric conditions must be performed.

1. Introduction

This paper illustrates the observed spatial variability of landscape, using examples, and demonstrates how this variability affects the lower tropospheric fluxes of energy in the absence of clouds. This variability is associated with (i) man-caused changes; and (ii) natural variations in vegetation and soil composition. Short-term weather effects (e.g., rainfall history) as well as local microenvironmental conditions (e.g., soil structure) influence the natural variations.

Using nonlinear model results, the modification of the overlying atmosphere due to spatial variability of landscape is evaluated. The emphasis of the paper will be on the influence of variable heat flux that results from the landscape pattern on flat terrain. Subsequent papers will explore the effect of landscape variability in irregular terrain.

Modifications of atmospheric conditions due to landscape variability, as contrasted with a uniform landscape, occur due to (i) changes in the surface layer fluxes, and (ii) resultant coherent wind circulations, which develop as a result of the spatial variability in these heat fluxes. In this paper, we will concentrate on the influence of heat fluxes. If the spatial scale of forcing is small enough (that is, much smaller than the depth of the boundary layer), it should be sufficient to spatially average the different surface-layer fluxes (proportionally weighted by the fractional coverage of a grid area by different land surface types) as discussed in Avisar and Pielke (1989). For larger scales, however, the influence of mesoscale fluxes of heat must also be considered, since they can be on the same order as, and have a different vertical distribution than, the turbulent fluxes.

Changes in average and spatial variations in landscape are important in influencing atmospheric conditions. Using a simple energy balance analysis, for example, Pielke and Avisar (1990) have shown that for small changes in average local surface characteristics

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\Delta T_E = -3.04 \times 10^9 \frac{\Delta A}{T_E^3},
\]

where \( T_E \) is an equilibrium temperature in units of degrees kelvin and \( A \) is the albedo. A value of the solar...
insolation at the surface of 690 W m\textsuperscript{−2} is used in the equation. Thus, locally, if an energy balance equilibrium were achieved, a change of albedo of +1\% would result in a decrease of $T_e$ of about 1.4°C.

André et al. (1990) suggest that there are two types of nonhomogeneous landscapes:

(i) the 'disorganized' land surfaces, for which the characteristic horizontal scale is smaller than about 10 km, so that no apparent coherent response can be traced in the atmosphere since the boundary-layer turbulence averages everything out;

(ii) the 'organized' land surfaces, for which the characteristic length is greater than 10 km, so that the atmosphere develops a coherent response at the mesoscale.

As indicated in their paper, however, much work yet remains to devise procedures to accurately estimate surface fluxes where there is significant surface inhomogeneity. Our paper further examines the categorization (i) and (ii) postulated in their paper.

2. Observational evidence

Pielke and Kennedy (1980), Young and Pielke (1983), Young et al. (1984), and Steyn and Ayotte (1985) used spectral analysis to document spatial variability of terrain. As discussed in those papers, such an analysis is essential in order to determine the minimum horizontal grid interval required to explicitly resolve the terrain forcing. Alternatively, a parameterization of the smaller-scale terrain influence on the overlying atmosphere could be developed for use in a coarser grid model.

We propose that a similar spectral analysis should be completed for landscape variability. In areas with both variable terrain and landscape variations, cross spectra and quadrature analysis should be completed in order to ascertain the correlation of landscape and terrain as a function of spatial scale, aspect, etc.

Vegetation biomass and leaf area index (LAI) are constraints over terrestrial surface fluxes of energy, moisture, and momentum that vary spatially from micro- (<100 m), landscape (100 m–10 km), regional (1000 km), to global scales. Variability at landscape and greater scales is observable using satellite-based data at appropriate resolutions [e.g., 20-m (Satellite Probatoire d’Observation de la Terra—SPOT), 1.1-km, and 4.4-km modes of the NOAA-polar orbiter Advanced Very High Resolution Radiometer (AVHRR)]. Spectral vegetation indices based on these data have been used to assess spatial patterns in vegetation condition in terms of above-ground green biomass (e.g., Davis et al. 1990, 1991), LAI (e.g., Running et al. 1989), and crop yield (e.g., Barnett and Thompson 1983). Annual or growing season integrals of Normalized Difference Vegetation Index (NDVI) and other indices have been related to annual net primary production (Goward et al. 1986). These indices are also useful in following seasonal and interannual dynamics of vegetation across broad regions (Tucker et al. 1985, 1986; Justice et al. 1985). The success of vegetation indices to illustrate spatial and temporal variability in above-ground vegetation arises from their relationship to intercepted photosynthetically active radiation, canopy photosynthetic capacity, and maximum canopy conductance (Sellers 1985). Since maximum canopy conductance constrains surface H\textsubscript{2}O and CO\textsubscript{2} fluxes, NDVI may prove valuable as a forcing variable in biosphere–atmosphere exchange models linked to atmospheric circulation models (Schimel et al. 1991).

At the landscape scale, field and SPOT satellite data collected during FIFE (First ISLSCP Field Experiment; ISLSCP is the International Satellite Land Surface Climatology Project) in a tall grass prairie region in eastern Kansas show that biomass and LAI vary up to fivefold with topographic position (across 200 m wide, 30 m deep watersheds) and as a function of grazing and burning management within the 15 km × 15 km FIFE site (Schimel et al. 1991; Kittel et al. 1990; Davis et al. 1990). Such variation in surface biological properties (biomass, LAI) reflects the impact of topography and land use on water and nutrient availability (Schimel et al. 1991). Integrated across the landscape, variation in topography and vegetation appears to influence the development and structure of the planetary boundary layer as observed by LIDAR (Schols and Eloranta 1991) and aircraft (Desjardins et al. 1990).

At the regional scale, AVHRR NDVI data for the central and northern Great Plains in early May 1990 (Fig. 1) show fine-grain spatial variation at the dataset's 1-km resolution. While local topography, soils, and land use vary at such fine scales, soil, climate, and drainage patterns also vary at the regional scale influencing patterns in land use and vegetation (Parton et al. 1987; Burke et al. 1989, 1990, 1991). This is reflected in 50–200-km-scale variation in NDVI across the Great Plains (Fig. 1). Large areas with minimum NDVI include rangelands in southeastern Colorado (influenced by a regional minimum in annual precipitation) and the Sand Hills in western and central Nebraska (edaphic influenced). Maxima occur over the rainfed winter wheat and grain sorghum region of east central Kansas (bounded on the east by the Flint Hills with lower spring NDVI) and irrigated croplands adjacent to major rivers such as the South Platte in northeastern Colorado. Such contrasts in NDVI reflect contrasts in land use and vegetation at scales that are important in forcing mesoscale circulations (Segal et al. 1988). On a somewhat larger spatial scale, Lanicci et al. (1987) concluded that the spatial distribution of soil moisture over the southern Great Plains and the Mexican Plateau significantly influences the evolution
Fig. 1. NDVI composite image for the period 27 April–10 May 1990 covering the northern and central Great Plains, 1-km resolution. Greens are high values and dark browns are low values. (From a map prepared by the EROS Data Center, Sioux Falls, SD.)

of convective rainfall patterns over Texas and Oklahoma.

Spatial contrasts at the regional scale can shift during the course of a year because vegetation under different land management (e.g., irrigated cropland vs native rangeland) has different seasonal patterns of growth and senescence (or harvest). The sharp gradient in spring 1990 NDVI between central Kansas (cropland) and the Flint Hills (rangeland) (Figs. 1 and 2a) is reversed by midsummer (Fig. 2b) due to the harvest of winter wheat and rangeland greenup. At the scale of a week, contrasts in plant condition can develop in dry
Fig. 2. NDVI composite images for week periods ending (a) 10 May 1993 and (b) 27 July 1993. Coverage includes most of Kansas (KS), northeastern Oklahoma (OK), and a small portion of Missouri (MO) and Arkansas (AR). White regions are isolated, thin rectilinear brightness is scaled equally for both images. Images courtesy of Jeff Edelson, EOS Data Center.
land areas, reflecting rainfall patterns from storms. Interannual variability in climate also results in significant year-to-year differences in regional patterns in vegetation biomass, as suggested by NDVI observations and ecosystem simulation modeling of the 1988 drought over Kansas (Burke et al. 1991).

3. Nonlinear analysis of the influence of landscape variability

Since no general analytic theory exists to determine the influence of nonlinear effects on the results of Dalu and Pielke (1991), in which a linear model was applied to evaluate the importance of spatially varying heat fluxes, we must utilize numerical model results to evaluate the relative contribution of turbulent and mesoscale heat effects as a function of the spatial scales of the surface forcing. Moreover, while linear results provide concise general analytic expressions that could be used as part of a parameterization scheme for use in a coarse grid model, the range of possible landscapes and overlying atmospheric conditions must be integrated using the numerical model in order to develop a general quantitative parameterization. The linear results reported in Dalu and Pielke (1991), however, did document that mesoscale circulations are likely to be important mechanisms of vertical heat transport when the size of the surface thermal forcing is on the scale of the local Rossby radius. For heat patches much less than this scale, the surface exchange fluxes can be spatially averaged, as suggested in Avisar and Pielke (1989). The large eddy simulation study reported in Hadfiel et al. (1991a,b), where the influence of small-scale heat patches (of widths of 1.5 km and 4.5 km) on convective boundary-layer structure were investigated, support this conclusion.

In this section, several generic nonlinear numerical simulations are performed to demonstrate the procedure to develop a general parameterization, as well as to further document the importance of mesoscale heat fluxes as contrasted with turbulent heat fluxes. In addition, a specific example of a landscape contrast and its influence on turbulent and sensible heat fluxes is presented.

a. Influence of spatial landscape variability on vertical heat flux in the absence of a larger-scale wind flow

1) HOMOGENEOUS VERSUS NONHOMOGENEOUS SURFACES

A comparison of the domain-averaged vertical heat flux for homogeneous and nonhomogeneous surfaces shows the importance of landscape variability. The domain-averaged vertical heat flux for the homogeneous surface case is equal to the grid-averaged subgrid-scale correlation, $w^\theta\theta^*$, which is parameterized by $-K_\theta \partial \theta / \partial z$ where $K_\theta$ is the vertical exchange coefficient estimated from a Smagorinsky-type eddy viscosity with a Richardson number dependence. For the nonhomogeneous case, the explicit heat flux due to mesoscale circulations induced by the variable landscape needs to be considered in addition to the subgrid-scale flux. Thus, the domain-averaged total vertical heat flux is represented by

$$\langle w^\theta \theta^* \rangle_D + \langle w^\theta^* \theta^* \rangle_D$$

where $w^\theta^*$ is the resolvable mesoscale circulation and $w^\theta^*\theta^*$ is the subgrid-scale contribution. The domain-averaged operation for the simulations with the periodic domains that are discussed in this section (i.e., cyclic lateral boundary conditions are used) is defined as

$$\langle A \rangle_D = \frac{1}{N_x} \sum_{i=1}^{N_x} A_i$$

where $A$ is any quantity, the subscript $D$ indicates the domain average, and the variable $N_x$ is the total horizontal grid points in that domain. The two components of heat fluxes are defined as:

- resolvable heat flux
  $$\langle w^\theta \theta^* \rangle_D = \langle (w - \langle w \rangle_D) (\theta - \langle \theta \rangle_D) \rangle_D$$

- subgrid-scale heat flux
  $$\langle w^\theta^* \theta^* \rangle_D = -K_\theta \frac{\partial \theta}{\partial z}$$

2) MODEL CHARACTERISTICS

Two-dimensional model simulations were run using the Colorado State University (CSU) Regional Atmospheric Modeling System (RAMS) in its nonhydrostatic, anelastic form and applying cyclic lateral boundary conditions (Tremback et al. 1986; Schmidt and Cotton 1990). A surface energy budget (Tremback and Kessler 1985) was used to diagnose the surface temperature variation during the day. The horizontal grid interval was 1 km and the vertical grid was stretched by a factor of 1.1 with the lowest layer set to 150 m. The homogeneous case was initialized at 0600 LST with a uniform land surface at 30° latitude for 21 June, an initial surface temperature of 293 K, and no horizontal wind. A minimum value of shearing stress (i.e., $u_\tau > 0.01$ m s$^{-1}$) was specified, however, in order to generate surface heat fluxes. Six nonhomogeneous surface cases were initialized with alternating land and water strips equal in width to 4, 8, 16, 32, 64, and 96

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1 Note that with cyclic boundary conditions, $\langle w \rangle_D = 0$. Thus, $\langle w^\theta \theta^* \rangle_D = \langle w \theta^* \rangle_D = \langle w \rangle_D \langle \theta^* \rangle_D = 0$. Since $\langle w^\theta \theta^* \rangle_D = \langle \theta \rangle_D \langle w^\theta \rangle_D / \langle \theta \rangle_D = \langle \theta \rangle_D \langle w^\theta \rangle_D / \langle \theta \rangle_D = \langle \theta \rangle_D$ where $\langle \theta \rangle_D = \langle w \rangle_D = 0$, $\langle w^\theta \theta^* \rangle_D = 0$. This was also verified in the model computations.
km, respectively; \( N_x \) was 16 for the 4-km case, 32 for the 8-km case, 64 for the third and fourth nonhomogeneous cases, 128 for the 64-km case, and 192 for the last case. Thus, in the 4-, 8-, and 16-km-strips experiment, there were two sets of alternating surfaces, while only one set was used for the larger strips. All simulations were run to 12 h.

3) MODEL RESULTS

Model results are shown for the seven cases at model levels 2 through 9. The model levels correspond to the heights: level 1 = 0 m; level 2 = 150 m; level 3 = 315 m; level 4 = 497 m; level 5 = 696 m; level 6 = 916 m; level 7 = 1157 m; level 8 = 1423 m; and level 9 = 1715 m. Figure 3 shows time cross sections of the domain-averaged total vertical heat flux. For the homogeneous case, the total vertical heat flux is equal to the subgrid scale heat flux since the explicit mesoscale contribution is zero. The total vertical heat flux reaches a maximum at 6 h coincident with the time of maximum heating. The 6-h magnitudes decrease with height and range from zero at levels 1157 m and above (which is above the planetary boundary layer) to 475 W m\(^{-2}\) at 150 m and 315 m.

Total vertical heat flux profiles are similar for the cases with landmass widths of 64 km and greater (Figs. 3f,g). Total heat flux rises with time at a near uniform rate before leveling off at a magnitude of 350 W m\(^{-2}\) at 150 m. The peak heat flux is reached later in the day for larger landmass widths. Following this time, the total heat flux reduces to near zero by 12 h. The total heat flux for the 64- and 96-km cases is less than the homogeneous total heat flux for the first 6 h. After 6 h, the 150-m heat fluxes are comparable but the heat flux at the higher levels from 315 m to 1157 m are significantly greater for the nonhomogeneous cases. A negative mesoscale heat flux is observed for levels just above the top of the boundary layer. This is observed at 6 h at 1157 m and 1423 m and at 8 h at the 1715-

![Diagrams](diagrams.png)  

**FIG. 3.**
m level. The mesoscale heat fluxes at 1157 m and 1423 m become positive for the later time periods when the levels are part of the boundary layer.

Similar profiles of total vertical heat flux are observed for the smaller landmass width cases of 4, 8, and 16 km (Figs. 3b–d). The 150-m total heat flux reaches a maximum of 300–375 W m⁻² at 6 h and remains high for a couple of hours before falling off. Total heat flux values at the higher levels within the boundary layer rise with some fluctuations and peak at 7 to 9 h. As with the larger-width cases, the nonhomogeneous total heat flux is less than the homogeneous total heat flux during the first 6 h, comparable at 150 m after 6 h, and significantly greater for the higher levels after 6 h. The negative mesoscale heat fluxes observed at 1157 m, 1423 m, and 1715 m occur when these levels are just above the top of the boundary layer.

The 32-km-width landmass case is a hybrid of the two scenarios described above (Fig. 3e). The total heat flux rises uniformly for the first 6 h, similar to the larger-width cases. After the heat flux peaks at 6 h, it decreases slowly for several hours before dropping off more rapidly, similar to the smaller-width cases. Comparing the homogeneous and 32-km nonhomogeneous cases, the total heat fluxes show similar results as noted above.

Dividing the total vertical heat flux into subgrid-scale heat flux and explicit vertical heat flux due to mesoscale circulations provides more insight into the above results. Consistent with the linear results (Dalu and Pielke 1991), the mesoscale heat flux contribution is positive within the planetary boundary layer (PBL) over land and negative above. This result is enhanced in the numerical model results due to the horizontal wind convergence into the upward motion regions. The resultant asymmetry from this nonlinear advection results in a positive skewness of the vertical velocity in the PBL. The upward transfer of the superadiabatically stratified atmosphere near the surface, much like large eddies in the boundary layer, results in an upward heat flux. Figure 4 shows several cross sections of the domain-av-

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**Fig. 3.** Time cross sections of the domain-averaged total vertical heat flux for model levels 2–9 (150 m, 315 m, 497 m, 696 m, 916 m, 1157 m, 1423 m, 1715 m). The surface boundary is (a) homogeneous, (b) 4-km alternating land and water strips, (c) 8-km strips, (d) 16-km strips, (e) 32-km strips, (f) 64-km strips, and (g) 96-km strips. In this and subsequent time cross-section figures, the initial time (0) is 0600 LST.
Fig. 4. Time cross sections of the domain-averaged subgrid-scale vertical heat flux (S) and the domain-averaged explicit vertical heat flux due to mesoscale circulations (M) for model levels 2-4 (150 m, 315 m, 497 m). The surface boundary is (a) 4-km alternating land and water strips, (b) 8-km strips, (c) 16-km strips, (d) 32-km strips, (e) 64-km strips, and (f) 96-km strips.
eraged subgrid-scale vertical heat flux and the domain-averaged mesoscale vertical heat flux at 150 m, 315 m, and 497 m for the six nonhomogeneous cases.

For the nonhomogeneous cases, solar heating of the land masses creates a sea breeze. A sea-breeze front forms on each side of the land mass and propagates inland with time. Eventually, the two sea-breeze fronts collide, resulting in a single, strong upward vertical velocity branch over the center of the land mass. The collision occurs later in the day for the larger land masses (e.g., see Xian and Pielke 1991). Following the collision, two vertical circulation cells are maintained for the remainder of the day with the single upward branch centered over the land mass.

Results for the cases with landmass widths of 32 km and greater are shown in Figs. 4d,e,f. Prior to the sea-breeze collision, the subgrid-scale heat flux exceeds the mesoscale-induced heat flux. The difference is greater for the larger land masses where the boundary layer is heated for a longer time period, providing stronger subgrid-scale heat fluxes. As the sea-breeze fronts near collision, the upward vertical velocity becomes much stronger and the mesoscale heat flux exceeds the subgrid-scale heat flux. The mesoscale heat flux reaches a maximum of between 200 and 300 W m\(^{-2}\) for all three cases (32, 64, and 96 km) at the time of sea-breeze collision. At this time, the mesoscale heat flux exceeds the subgrid-scale heat flux by 33\% (96 km) and 150\% (32 km) at 150 m and is even more important at 315 m and 497 m. Following the sea-breeze collision, the strength of the upward branch decreases with time and the mesoscale heat flux also decreases. Reduced heating of the boundary layer behind the sea-breeze front causes the subgrid-scale heat flux to decrease with time as well. Thus, the mesoscale heat flux remains greater than the subgrid-scale heat flux for the remainder of the day. The significant mesoscale heat flux after 6 h allows the nonhomogeneous total heat flux to be greater than the homogeneous total heat flux.

Different results are observed for the 4-, 8-, and 16-km cases (Figs. 4a,b,c). Since the sea-breeze collision occurs earlier in the day, the boundary layer does not have much time to heat, and hence the subgrid-scale heat flux is smaller. The upward vertical velocity increases more rapidly than for the larger land masses and the mesoscale heat flux exceeds the subgrid-scale heat flux from the start. Although the sea-breeze collision occurs near 2 h (0800 LST) for the 8-km case, the mesoscale heat flux continues to rise significantly with time. Two factors appear to play a role in this result. First, continued heating in the morning hours allows the vertical velocity branch to continue increasing in magnitude following sea-breeze collision. Second, the downward branches are consolidated into smaller horizontal regions. Hence, stronger downward branches are observed in the cooler postfrontal air, which provides a positive contribution to the mesoscale heat flux. For the 16-km case, the sea-breeze collision occurs near 5 h and the mesoscale heat flux reaches a maximum. However, the mesoscale heat flux maintains its magnitude after 5 h due to the same mechanisms described above.

A secondary pulse is also observed in the mesoscale heat flux for the 8- and 16-km cases. The stronger, consolidated downward branches reinforce the sea-breeze circulation and cause a second surge to move inland. When these collide, the upward vertical motion increases temporarily, which creates the secondary pulse in the mesoscale heat flux. The mesoscale heat flux remains dominant over the subgrid-scale heat flux for the remainder of the day. Since the mesoscale heat flux remains significant during the afternoon, the nonhomogeneous total vertical heat flux is greater than the homogeneous heat flux after 6 h.

4) SUMMARY

Mesoscale circulations induced by spatial landscape variability make an important contribution to the domain-averaged total vertical heat flux in the absence of a larger-scale wind flow. For landscape variability with a larger horizontal scale, the subgrid-scale heat flux is larger than the mesoscale heat flux for the early part of the day. As the mesoscale circulations evolve, the mesoscale heat flux becomes dominant by afternoon and remains dominant for the remainder of the day. For smaller horizontal scales, the mesoscale circulations evolve more rapidly and the mesoscale heat flux becomes dominant soon after the commencement of solar heating and remains dominant for the remainder of the day. Differences exist between the total heat fluxes of a homogenous surface and the nonhomogeneous surfaces. Initially, the total heat flux is greater for the homogeneous case. However, after maximum solar heating occurs, explicit vertical heat flux due to mesoscale circulations continues to be significant and allows the nonhomogeneous total vertical heat flux to significantly exceed the homogeneous total vertical heat flux. The mesoscale heat flux is a significant contributor to the domain-averaged total heat flux for all cases and should not be ignored in coarse resolution models, which do not resolve these mesoscale circulations.

b. Influence of spatial landscape variability on vertical heat flux in the presence of larger-scale wind flow

1) MODEL EXPERIMENTS

A total of 12 model simulations were conducted to investigate the effects of a larger-scale wind on the vertical heat flux over a variable landscape. Separate experiments with uniform horizontal winds of 5, 10, and 15 m s\(^{-1}\) were performed using 4-, 8-, 16-, and 32-km
strips. Except for the large-scale wind flow, the experiments are identical to the uniform strip cases performed in section 3a.

2) MODEL RESULTS

The domain-averaged total vertical heat fluxes show similar characteristics for the various landscape cases with wind. Figure 5 shows cross sections of the total vertical heat flux at model levels corresponding to 150 m through 1715 m (levels 2–9) for the three wind experiments with 8-km strips. The total heat fluxes are reduced with increasing wind speed and greater reductions are noted for smaller-width strips (e.g., see Fig. 7a). For example, a comparison of the calm and 5 m s⁻¹ initialized wind simulations at 150 m shows no significant total heat flux reduction for the 32-km strip case, while a 150 W m⁻² drop is noted for the 4-km strip case. The effects of wind on the total heat flux are less pronounced with larger-width strips. Maximum total heat fluxes are attained near 8 h for all the wind cases, which is about 2 h later than for the calm cases.

The horizontal wind prevents a tight horizontal temperature gradient from developing in the atmosphere along both coasts and is responsible for the decreased total vertical heat flux (i.e., due to a weaker horizontal pressure gradient force). In contrast, with calm large-scale flow, strong horizontal pressure gradients can develop along both coasts. The effects of mixing are better understood by dividing the total vertical heat flux into subgrid-scale vertical heat flux and explicit vertical heat flux due to mesoscale circulations. Again, results are similar for the various landscape cases with wind. Figure 6 shows time cross sections of the domain-averaged subgrid-scale heat flux and the domain-averaged mesoscale vertical heat flux at 150 m, 315 m, and 497 m for the three wind experiments using 8-km strips. Except for the 5 m s⁻¹ wind speed cases

![Figure 5](image1.png)

![Figure 6](image2.png)

**Fig. 5.** Time cross sections of the domain-averaged total vertical flux for model levels 2–9 (150 m, 315 m, 497 m, 696 m, 916 m, 1157 m, 1423 m, 1715 m) with an 8-km alternating land and water surface boundary. Model simulations were initialized with a uniform horizontal wind of (a) 5 m s⁻¹, (b) 10 m s⁻¹, and (c) 15 m s⁻¹.
using 16- and 32-km strips, the subgrid-scale heat flux profiles are nearly identical regardless of strip width and wind speed. A well-defined peak of subgrid-scale heat flux is reached at 7 h with a value of about 230 $\text{W m}^{-2}$ at 150 m, which is significantly greater than the subgrid-scale heat flux for the calm case. Mixing by the wind allows for stronger subgrid-scale heat fluxes. The effect is especially pronounced over water where the calm case has no subgrid-scale vertical heat flux while the flux is significant for the wind cases. The effects of mixing are reduced for the lower wind-speed, larger-width strip cases (i.e., 5 m s$^{-1}$ wind speed with 16- and 32-km strips). The subgrid-scale heat flux peaks at 6 h with a lower value of about 175 $\text{W m}^{-2}$; hence, it falls between the calm experiments and the other wind cases.

Mesoscale heat fluxes, in contrast to the subgrid-scale fluxes, decrease with greater horizontal wind speeds and are significantly less than the mesoscale flux for the calm case. The horizontal temperature gradients are less pronounced, which leads to a smaller domain-averaged mesoscale heat flux. For the wind cases, the mesoscale heat flux reaches a maximum later in the day between 8 and 10 h. During the later time periods, the mesoscale heat flux exceeds the subgrid-scale heat flux at 315 m and 497 m, but only exceeds the subgrid-scale heat flux at 150 m for the 5 m s$^{-1}$ cases with 16- and 32-km strips.

3) SUMMARY

When a prevailing wind occurs, the more diffuse horizontal temperature gradient inland from at least one of the coastlines reduces the domain-averaged mesoscale vertical heat flux with the effect more pronounced with smaller-width strips. Over variable land-
scape, the domain-averaged subgrid-scale vertical heat fluxes increase while the domain-averaged mesoscale vertical heat fluxes decrease compared to the respective fluxes for the calm cases. For all situations, except the light wind speed and large-width strip cases (i.e., 5 m s\(^{-1}\) wind speed over 16- and 32-km strips), the large decrease in the mesoscale heat flux overcomes the significant increase in the subgrid-scale heat flux, accounting for a smaller total domain-averaged heat flux in the wind experiments. Although the mesoscale heat flux is smaller, it still makes a significant contribution to the total heat flux at the later time periods.

**c. Influence of spatial landscape variability on time-averaged vertical heat flux**

A comparison of the 12-h, vertically integrated, time- and domain-averaged vertical heat flux for the 19 model experiments (1 homogeneous with no large-scale flow, 6 nonhomogeneous with no large-scale flow, and 12 nonhomogeneous with large-scale flow) is shown in Fig. 7. The total vertical heat flux for the homogeneous case is larger than the other experiments except the 96-km, no initial wind case. Note that the homogeneous experiment has double the land surface compared to the other simulations. Thus, neglecting the nonlinear effects due to mesoscale circulations, one would expect the total heat flux for the nonhomogeneous, no initial wind cases to be only half of the total flux for the homogeneous experiment. It appears that the nonhomogeneous landscape is more efficient at putting energy from solar insolation into the atmosphere, while over the domain more insolation is absorbed into the surface for the homogeneous case. This is verified through the model soil temperatures, which are warmer at 12 h for the homogeneous cases than for the nonhomogeneous simulations.

The linear results suggest that as the surface strips decrease in width, the nonhomogeneous vertical heat fluxes should approach to one half of the vertical heat fluxes of the homogeneous case. The model results presented here do not corroborate this linear result. The model horizontal grid spacing is 1 km for all cases, which determines the smallest resolvable strip width to be 4 km. A smaller horizontal grid spacing would be required to simulate smaller—strip-width cases. However, a smaller grid spacing can support a stronger horizontal pressure gradient, which could lead to stronger mesoscale circulations and a misleading comparison to the larger—strip-width cases. The model horizontal grid spacing must always be less than or equal to 25% of the strip width (e.g., see Pielke 1984, p. 331) so that mesoscale circulations will always be resolvable. However, the mesoscale circulations should be confined to a shallower layer as the strip width decreases. This is only marginally observed at 497 m and above for the calm cases, but is more noticeable for the wind cases where the wind reduces the horizontal pressure gradient force.

Dividing the time-averaged total vertical heat flux into subgrid-scale vertical heat flux and explicit vertical heat flux due to mesoscale circulations shows some interesting differences. Only the subgrid-scale vertical heat flux contributes to the total for the homogeneous case. For the nonhomogeneous, nonwind experiments, the subgrid-scale flux increases with increasing strip width. With increasing strip width, the mesoscale heat flux decreases for level 2 (150 m), remains about the same at 315 m and 497 m, and increases slowly for the higher levels. The net result is an initial decrease in total heat flux followed by a slow increase with increasing strip size, which eventually exceeds the homogeneous case for the 96-km strips despite half the surface landmass.

Two competing effects are occurring in the nonhomogeneous cases. First, the wind flow from the heated to heated surface region creates a less unstable boundary layer, which creates a smaller subgrid-scale heat flux. Second, the induced mesoscale circulations create an explicit mesoscale heat flux that more than compensates for the reduced subgrid-scale heat flux leading to the higher total heat fluxes for the nonhomogeneous cases. For the smaller—width-strip cases, the earlier convergence of the opposing flows from the two sides of the heated surface forces the boundary layer to remain shallow and less unstable, causing the subgrid-scale contribution to be small. In addition, the stronger vertical circulations are maintained through the day, forcing a larger mesoscale contribution. When the wind convergence occurs later in the day for the larger—width-strip cases, the boundary layer becomes deeper and more unstable, allowing a larger subgrid-scale contribution. Meanwhile, the stronger and deeper vertical circulations, which occur later in the day, permit a significant mesoscale contribution that explains the large total heat flux for the 96-km experiment. The mesoscale contributions are significant in all cases.

For the experiments initialized with a large-scale wind, the subgrid-scale heat fluxes remain nearly constant for all cases and they are larger than the corresponding fluxes for the no-wind situations. This is due to the wind creating a more diffuse horizontal pressure gradient force. The two exceptions are the 8- and 16-km strip cases with a 5 m s\(^{-1}\) wind where the wind effects are reduced, hence lowering the subgrid-scale heat flux. The decreased pressure gradient force inland from one of the coastlines causes a significant decrease in the mesoscale contributions. The mesoscale heat flux rises slowly with increasing strip width. Again, the two exceptions are the 8- and 16-km strip cases with a 5 m s\(^{-1}\) wind where the mesoscale flux is larger due to the reduced effects of the wind on the subgrid-scale fluxes. The net effect is lower total vertical heat flux compared to the nonwind cases, with the total heat
flux decreasing slowly with increasing wind speed and increasing slowly with increasing strip width. The mesoscale heat flux still makes a significant contribution toward the total heat flux in all cases.

The vertically integrated, time- and domain-averaged total vertical heat flux is relatively constant compared to the large variations in the subgrid-scale and mesoscale heat fluxes. For all the nonhomogeneous simulations, these space- and time-averaged subgrid-scale and mesoscale heat fluxes are inversely correlated. Although the mesoscale contribution is significant in each of the nonhomogeneous cases, the significance to the total heat flux is reduced due to this inverse correlation. The distribution of heat with height, however, is clearly different when mesoscale circulations occur, since heat can be transported to levels deeper than occurs due to subgrid heat flux alone.

d. Two-dimensional simulation of domain, resolvable, and subgrid-scale fluxes on the mesoscale when a vegetation contrast exists

1) NUMERICAL SIMULATION

In this section we present an example to demonstrate the nonlinear effect when a realistic surface inhomogeneity exists. We have chosen our model domain to be comparable to two grid volumes of a general cir-
culation model (GCM). However, we divided our domain into two subdomains according to vegetation covers. Thus, we can calculate the difference in turbulent fluxes between the entire domain-averaged value and the average in the subdomains. The CSU RAMS was also used in simulations presented in this section. The parameterization of vegetation was given in Avissar and Mahrrer (1988). A two-dimensional version of the model was set up over a mesoscale domain of 200 km horizontally and a top at 4 km. The number of grid points were $40 \times 25$. Two different vegetation cover types were specified (each one covers half of the domain). The horizontal resolution was 5 km and the vertical resolution was 100 m near the ground and stretched up to 500-m resolution with a stretch ratio of 1:1. The left-hand side of the domain was covered by trees (LAI = 5.8) with an aerodynamic roughness length of $z_0 = 2$ m and an albedo at noon of 0.15, and the right-hand side was covered by irrigated wheat cropland (LAI = 4.7) with $z_0 = 2$ cm and an albedo at noon of 0.25. The relative stomatal resistance is a function of environmental variables as described in Avissar and Mahrrer (1988). The model was started at 0600 LST and integrated for 12 hours. The initial wind was calm. The surface energy budget was driven by midsummer (1 July) solar radiation at 40°N. The underlying soil layer was 60% saturated in the root zone and was reduced linearly to the wilting point at 3 m. This soil moisture content was large enough in the root zone so that plants were basically evaporating near the potential rate. The difference in the evaporating rate over the two areas comes from the albedo, aerodynamic roughness, and the LAI.

A thermally direct circulation was simulated later in the afternoon due to the thermal contrast between the two different vegetation-covered areas (Fig. 8). A cooler atmospheric boundary layer is found above the trees where the evapotranspiration is abundant. On the other hand, the atmospheric boundary is warmer and deeper over the crop where the evapotranspiration is relatively smaller and the vegetation heat capacity is less. Figure 8 shows the potential temperature field at the end of 12 hours. The temperature contrast in the mixed layer is as high as 4°C. Also, notice that the mixed layer is unstably stratified over the crop while it has become stably stratified over the forest. Figures 9 and 10 illustrate the horizontal and vertical wind components. The horizontal wind field near the surface is generally from the forest to the crop area with a return flow aloft. Ascending motion is found near the "front" over the crop area where a strong near-surface convergence in the horizontal wind is simulated.
ascending motion is observed over the forest where near-surface divergence of the horizontal wind occurs.

2) CALCULATION OF FLUXES

The heat fluxes were calculated at the end of the simulation. A thermally direct circulation is found at this time so that a upward heat flux is expected in the boundary layer on the resolvable scale. The subgrid-scale heat flux is also upward since the boundary layer is still convective at this time. The resolvable and subgrid-scale heat fluxes are defined in section 3 and three different domains are used in this study: (i) for the whole domain, subscript $D$ is dropped; (ii) averaged over the forest subdomain, $D = t$; and (iii) the crop subdomain, $D = c$.

Figure 11 shows the resolvable and subgrid-scale heat fluxes. Due to the asymmetric structure of the vertical velocity field (i.e., Fig. 10) positive vertical velocity only exists above the crop and $w'$ is greater than zero up to 1.5 km. Extending above the PBL $\langle w' \theta' \rangle$ becomes negative because of the region with $\theta'$ less than zero above the PBL. We expect $\langle w' \theta' \rangle$ to be positive near the surface and become negative aloft. This is indeed simulated. Over the forest, the only significant feature is the negative heat flux near and above the top of the PBL, which is attributed to the negative vertical velocity and cooler temperatures due to the transpiration from the trees. The total domain-averaged heat flux shows positive values near the ground and negative values near and above the top of the boundary layer as expected for a thermally direct circulation. The subgrid-scale heat flux over the crop shows a nearly linear profile over the crop, which indicates that the boundary layer is convective. Over the forest, the subgrid heat flux is actually negative due to the stable stratification near the surface. The domain-averaged subgrid heat flux profile again falls between that of the cropland and the forest.

Figure 12 shows the difference between the domain-averaged heat flux and the sum of the two subdomain-averaged heat fluxes. Since there is no averaging involved in calculating the subgrid-scale heat flux, the difference is zero. However, since variables $\langle w' \rangle_D$ and $\langle \theta' \rangle_D$, which are used in calculating $w'$ and $\theta'$, vary with respect to the three different domains, we observe that

$$\langle w' \rangle \neq (\langle w' \rangle_t + \langle w' \rangle_c)/2,$$

$$\langle \theta' \rangle \neq (\langle \theta' \rangle_t + \langle \theta' \rangle_c)/2.$$

Thus, a difference is expected when calculating the domain-averaged resolvable heat flux.

3) SUMMARY

Two primary conclusions can be extracted from this section. 1) The domain-averaged subgrid-scale flux is not sensitive to the averaging process, and 2) the domain-averaged resolvable scale flux is highly sensitive to the averaging process because of the asymmetry in the thermally forced mesoscale circulation.

4. Conclusions

This paper demonstrates that the influence on the atmosphere of mesoscale landscape spatial variability
must be parameterized (or explicitly modeled) in larger-scale atmospheric model simulations including general circulation models. Even if these larger-scale models had sufficient spatial resolution, they must include a diurnal cycle to represent this effect. The mesoscale fluxes of heat that result from this variability are shown to be of the same order of magnitude and with a different vertical structure than found for the turbulent fluxes. These conclusions are based on experiments in which no phase changes of water were permitted. When, for example, cumulus clouds organized in response to the landscape pattern develop, the mesoscale influence on larger-scale climate is likely to be even more important.

To parameterize surface thermal inhomogeneities, the influence of landscape must be evaluated using spectral analysis or an equivalent procedure. For horizontal scales much less than the local Rossby radius, based on the results of Dalu and Pielke (1991) the surface heat fluxes over the different land surfaces can be proportionately summed and an average grid-area value used, as proposed in Avisar and Pielke (1989). Moisture fluxes can probably be represented in the same fashion as for heat fluxes. For larger-scale spatial variability, however, the mesoscale fluxes must also be included as shown in this paper. While the linear effect could be parameterized using a procedure such as presented in Dalu and Pielke (1991), where the spectral analysis is used to fractionally weight the contributions of the different spatial scales, the complete vertical mesoscale heat flux requires the incorporation of nonlinear advective effects. To include the nonlinear contribution of each scale, numerical model simulations for the range of observed surface and overlying atmospheric conditions must be performed.

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